



Comparative Study of Pitch Detection Techniques

Shweta MalhotraM.Tech CSE Department
Kurukshetra University**Er. Ravi Malik**HOD, ECE Department
Geeta Engineering College

Abstract- *The purpose of this paper is comparative study of a fast analysis technique for decomposing time-series into a set of intrinsic mode functions (IMFs) and a residual trend. This decomposing technique, known as the empirical mode decomposition, traditionally uses cubic-splines in the decomposing process thus creating the need to solve a system of equations, albeit well-conditioned, at each step. This new method being proposed takes advantage of the theory of matrix-free moving least-squares approximation to construct discrete reproducing kernels capable of interpolation to a near natural cubic-spline t without the need for solving a system of equations. A class of compactly supported radial functions used in constructing the reproducing kernels is also given along with numerical examples validating the robustness of the fast algorithm.*

Keywords- *IMF, residual, matrix free moving, radial functions, empirical mode decomposition.*

I. Introduction

As an adaptive nonlinear decomposition technique referred to as Empirical Mode Decomposition (EMD), the wide ranging applications this method has been applied to the past few years have varied from analyzing climatology data for climate variability to the study of white noise characteristics in biological data. Being derived from the simple assumption that any data consists of simple unique oscillating modes intrinsic to the data, the EMD is a posteriori in regards to the decomposition of the data into intrinsic mode functions (IMFs) and does not assume anything about the data, contrary to Fourier methods where data is assumed linear and stationary. Because of the adaptive nature of EMD, this method has been shown numerically to better describe temporal patterns in nonstationary nonlinear time series than traditional methods such as Wavelet and Fourier methods [5]. Furthermore, coupled with the Hilbert transform applied to the resulting IMFs (Hilbert-Huang transform), this decomposition method is well localized in the time frequency domain and reveals important characteristics of the signal. Despite the success over the past few years of this analysis tool, it still lacks the speed of traditional Wavelet and Fourier methods which have become standards in the mathematical, statistical, and engineering industry partly due to their associated 'fast' transform algorithms and 'black-box' style implementations.

The Empirical Mode Decomposition (EMD) has been proposed recently as an adaptive time-frequency data analysis method. It has been proved quite versatile in a broad range of applications for extracting signals from data generated in noisy nonlinear and nonstationary processes. As useful as EMD proved to be, it still leaves some annoying difficulties unresolved. One of the major drawbacks of the original EMD is the frequent appearance of mode mixing, which is defined as a single Intrinsic Mode Function (IMF) either consisting of signals of widely disparate scales, or a signal of a similar scale residing in different IMF components. Mode mixing is often a consequence of signal intermittency. As discussed by Huang *et al.*, the intermittence could not only cause serious aliasing in the time-frequency distribution, but also make the physical meaning of individual IMF unclear. To alleviate this drawback, Huang *et al.* proposed the intermittence test, which can indeed ameliorate some of the difficulties. However, the approach has its own problems: first, the intermittence test is based on a subjectively selected scale. With this subjective intervention, the EMD ceases to be totally adaptive. Second, the subjective selection of scales works if there are clearly separable and definable time scales in the data. In case the scales are not clearly separable but mixed over a range continuously, as in the case of the majority of natural or man-made signals, the intermittence test algorithm with subjectively defined time scales often does not work very well. To overcome the scale separation problem without introducing a subjective intermittence test, a new noise-assisted data analysis (NADA) method is proposed, the Ensemble EMD (EEMD), which defines the true IMF components as the mean of an ensemble of trials, each consisting of the signal plus a white noise of finite amplitude. Since there is added noise in the decomposition method, we refer the original data as 'signal' in most occasions. This new approach is based on the insight gleaned from recent studies of the statistical properties of white noise, which showed that the EMD is effectively an adaptive dyadic filter Bank when applied to white noise. More critically, the new approach is inspired by the noise-added analyses initiated by Flandrin *et al.* and Gledhill. Their results demonstrated that noise could help data analysis in the EMD.

The principle of the EEMD is simple: the added white noise would populate the whole time-frequency space uniformly with the constituting components of different scales. When signal is added to this uniformly distributed white background, the bits of signal of different scales are automatically projected onto proper scales of reference established by

the white noise in the background. Of course, each individual trial may produce very noisy results, for each of the noise-added decompositions consists of the signal and the added white noise. Since the noise in each trial is different in separate trials, it is canceled out in the ensemble mean of enough trials. The ensemble mean is treated as the true answer, for, in the end, the only persistent part is the signal as more and more trials are added in the ensemble.

A. IMF Satisfies Two Conditions:

1. In whole data set, number of extrema and the number of zero crossings must either be equal or differ at most by one.
2. At many points, mean value of envelope defined by local minima is zero.

B. IMF Properties:

1. Each IMF involves only one mode of oscillation.
2. Each IMF characterizes not only a narrow band but both amplitude and frequency modulation.
3. An IMF can thus be nonstationary.

II. EMD

The Empirical Mode Decomposition (EMD) has been proposed recently as an adaptive time–frequency data analysis method. It has been proved quite versatile in a broad range of applications for extracting signals from data generated in noisy nonlinear and nonstationary processes. As useful as EMD proved to be, it still leaves some annoying difficulties unresolved. One of the major drawbacks of the original EMD is the frequent appearance of mode mixing, which is defined as a single Intrinsic Mode Function (IMF) either consisting of signals of widely disparate scales, or a signal of a similar scale residing in different IMF components. Mode mixing is often a consequence of signal intermittency. As discussed by Huang *et al.*, the intermittence could not only cause serious aliasing in the time–frequency distribution, but also make the physical meaning of individual IMF unclear. To alleviate this drawback, Huang *et al.* proposed the intermittence test, which can indeed ameliorate some of the difficulties. However, the approach has its own problems: first, the intermittence test is based on a subjectively selected scale. With this subjective intervention, the EMD ceases to be totally adaptive. Second, the subjective selection of scales works if there are clearly separable and definable timescales in the data. In case the scales are not clearly separable but mixed over a range continuously, as in the case of the majority of natural or man-made signals, the intermittence test algorithm with subjectively defined timescales often does not work very well.

III. EEMD

To overcome the scale separation problem without introducing a subjective intermittence test, a new noise-assisted data analysis (NADA) method is proposed, the Ensemble EMD (EEMD), which defines the true IMF components as the mean of an ensemble of trials, each consisting of the signal plus a white noise of finite amplitude. Since there is added noise in the decomposition method, we refer the original data as ‘signal’ in most occasions. This new approach is based on the insight gleaned from recent studies of the statistical properties of white noise, which showed that the EMD is effectively an adaptive dyadic filter Bank when applied to white noise. More critically, the new approach is inspired by the noise-added analyses initiated by Flandrin *et al.* and Gledhill. Their results demonstrated that noise could help data analysis in the EMD.

The principle of the EEMD is simple: the added white noise would populate the whole time–frequency space uniformly with the constituting components of different scales. When signal is added to this uniformly distributed white background, the bits of signal of different scales are automatically projected onto proper scales of reference established by the white noise in the background. Of course, each individual trial may produce very noisy results, for each of the noise-added decompositions consists of the signal and the added white noise. Since the noise in each trial is different in separate trials, it is canceled out in the ensemble mean of enough trials. The ensemble mean is treated as the true answer, for, in the end, the only persistent part is the signal as more and more trials are added in the ensemble.

IV. Comparison of EMD and EEMD TECHNIQUE
TABLE 1. COMPARATIVE STUDY OF EMD AND EEMD TECHNIQUES.

EMD	EEMD
In broadband signal, EMD is not effective.	In broadband signal, EEMD is more effective.
EMD does not properly reduce noise.	EEMD reduce noise properly.
Key feature of EMD is to decompose a signal into IMF.	EEMD defines true IMF components as mean of an ensemble of trials.
EMD depends entirely on data itself.	EEMD relies on selection of appropriate wavelet.
Very sensitive to noise in recorded signal.	Less sensitive to recorded signal.

V. CONCLUSION

It has been found that in EMD, any complicated data set is decomposed in infinite set and often small number of components which is a collection of Intrinsic Mode Function (IMF). IMF implies oscillations embedded in data. Suppose a function is symmetric with respect to local zero mean and have same numbers to extrema and zero crossings. Then a physically meaningful local instantaneous frequency can be discerned from the function. EEMD was introduced to optimize the results of EMD and give better signal quality. Research done only provide oscillations where First condition of IMF is not satisfied. Hence EEMD is better as comparing with EMD and can be used for improving the quality of signal on a network.

REFERENCES

- [1] An Improved Hilbert–Huang Method for Analysis of Time-Varying Waveforms in Power Quality Nilanjan Senroy, *Member, IEEE*, Siddharth Suryanarayanan, *Member, IEEE*, and Paulo F. Ribeiro, *Fellow, IEEE*
- [2] Pitch Estimation of Noisy Speech Signals using MD-Fourier Based Hybrid Algorithm Sujana Kumar Roy, Md. Khademul Islam Molla
- [3] ENSEMBLE EMPIRICAL MODE DECOMPOSITION: NOISE-ASSISTED DATA ANALYSIS METHOD ZHAOHUA WU* and NORDEN E. HUANG†
- [4] M. H. J. Bollen and I. Y. H. Guo, *Signal Processing of Power Quality Disturbances*. New York: Wiley, 2006, p. 314.
- [5] A. W. Galli, G. T. Heydt, and P. F. Ribeiro, “Exploring the power of wavelet analysis,” *IEEE Comput. Appl. Power*, vol. 9, no. 4, pp. 37–41, Oct. 1996.
- [6] Z. Wu and N. E. Huang, “A study of the characteristics of white noise using the empirical mode decomposition method,” *Proc. R. Soc. Lond. A*, vol. 460, pp. 1597–1611, 2004.
- [7] R. G. Stockwell, L. Mansinha, and R. P. Lowe, “Localization of the Complex Spectrum: The S Transform,” *IEEE Trans. Signal Process.*, vol. 44, no. 4, pp. 998–1001, Apr. 1996.
- [8] N. E. Huang, Z. Shen, and S. R. Long, “A new view of nonlinear water waves: The Hilbert spectrum,” *Annu. Rev. Fluid Mech.*, vol. 31, pp. 417–457, 1999.
- [9] Z. Lu, J. S. Smith, Q. H. Wu, and J. Fitch, “Empirical mode decomposition for power quality monitoring,” in *Proc. IEEE Power Eng. Soc. Transmission and Distribution Expo.: Asia and Pacific*, 2005, pp. 1–5
- [10] N. E. Huang and S. S. P. Shen, Eds., *Hilbert-Huang Transform and Its Applications*. Singapore: World Scientific, 2005. [11] Y.-J. Shin, A. C. Parsons, E. J. Powers, and W. M. Grady, “Time-frequency analysis of power system disturbance signals for power quality,” in *Proc. IEEE Power Eng. Soc. Summer Meeting*, Jul. 1999, vol. 1, pp. 402–407.